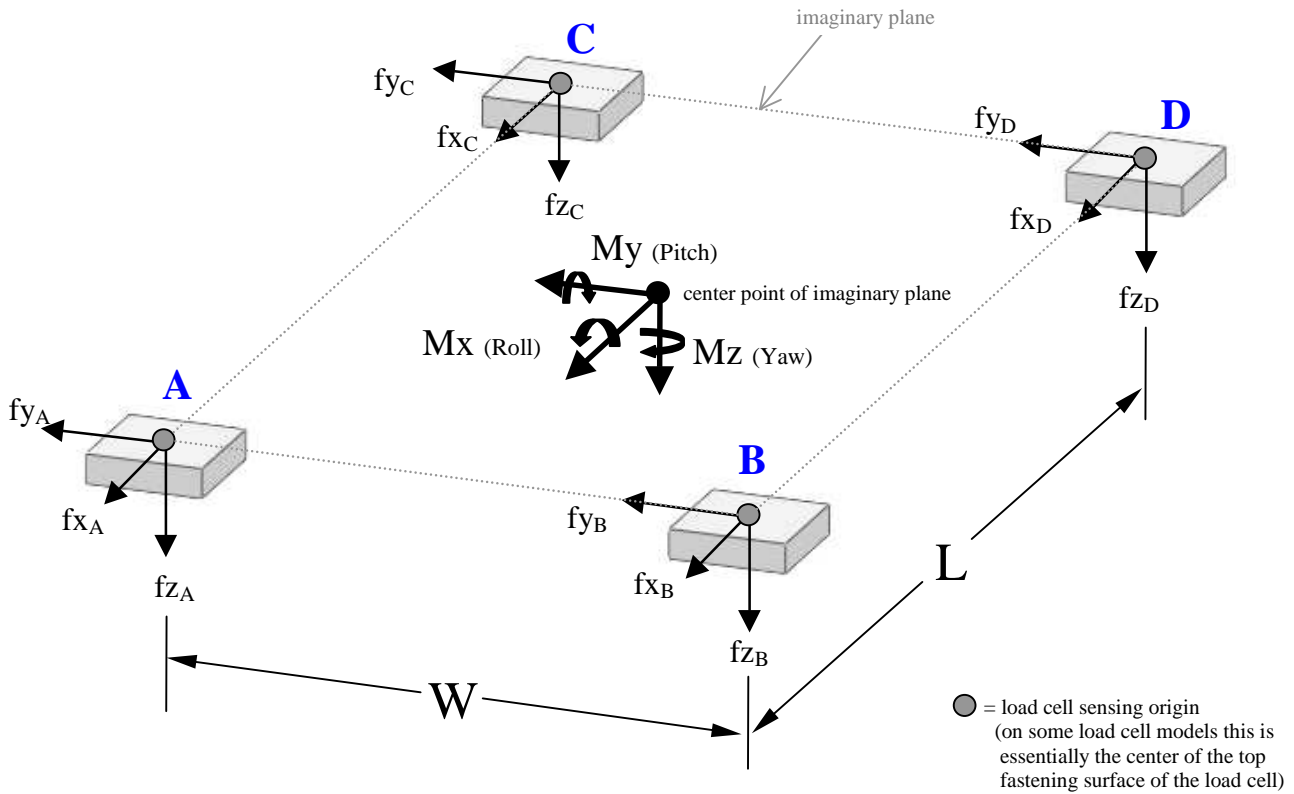


CALCULATION OF NET PLATFORM FORCES AND MOMENTS* USING FOUR TRIAX LOAD CELLS (A,B,C,& D) ARRANGED AS SHOWN BETWEEN A PLATFORM AND "GROUND"

*Assumes structural stiffness of platform assembly is such that each load cell is subjected *only to forces* and not individually subjected to any *localized moments*. In other words, assumes all platform moments are *completely reacted* by the triaxial forces sensed by the load cells.



NET TRIAXIAL PLATFORM FORCES

$$F_x = f_{x_A} + f_{x_B} + f_{x_C} + f_{x_D}$$

$$F_y = f_{y_A} + f_{y_B} + f_{y_C} + f_{y_D}$$

$$F_z = f_{z_A} + f_{z_B} + f_{z_C} + f_{z_D}$$

NET TRIAXIAL PLATFORM MOMENTS ABOUT A COORDINATE SYSTEM LOCATED AT THE CENTER POINT OF THE IMAGINARY PLANE DEFINED BY THE LOAD CELL SENSING ORIGINS (INCLUDES FREE VECTOR MOMENTS DUE TO ANY FORCE COUPLES ACTING ON PLATFORM)

$$M_x = \frac{W}{2} (f_{z_A} - f_{z_B} + f_{z_C} - f_{z_D})$$

$$M_y = \frac{L}{2} (-f_{z_A} - f_{z_B} + f_{z_C} + f_{z_D})$$

$$M_z = \frac{L}{2} (f_{y_A} + f_{y_B} - f_{y_C} - f_{y_D}) + \frac{W}{2} (-f_{x_A} + f_{x_B} - f_{x_C} + f_{x_D})$$